

3-5-> COMPOUND INEQUALITIES

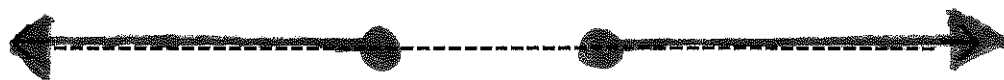
Compound Inequalities- More than one inequality.
joined by "and" or "or," graphed on the same
number line.

"AND"

Where BOTH graphs exist; Where they overlap.
* They usually overlap in the middle.



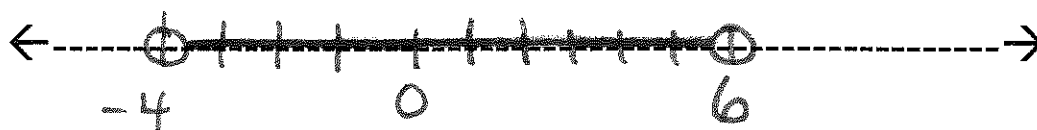
"OR" Where EITHER graph touches.
* They usually point out, like boat oars.



Examples:

1) Between -4 and 6

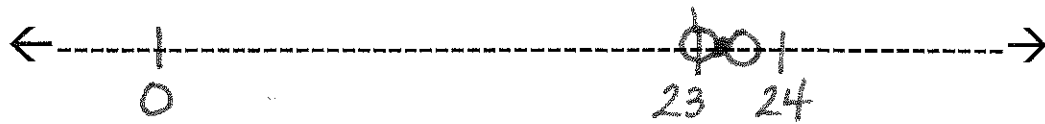
*DOES NOT include those numbers



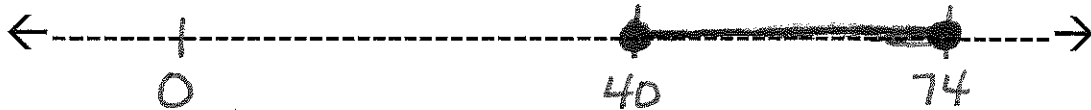
- 2) At ^{\geq} least 2 and at ^{\leq} most 9
 *DOES include those numbers



- 3) Between 23 and 23.5



- 4) At ^{\geq} least 40, but no more than ^{\leq} 74



- 5) $-2 < X < 3$

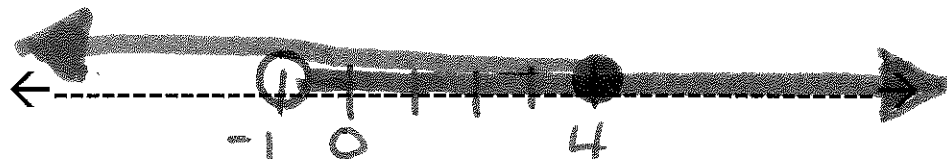
X is greater than -2 but less than 3
 ^{than;}
 more

"AND" EXAMPLES:

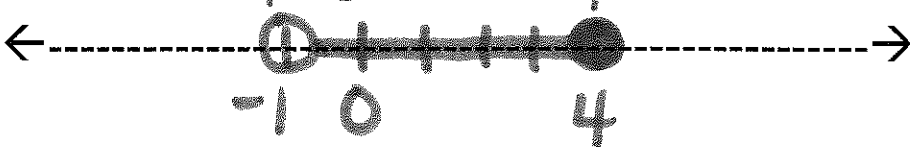
* BOTH overlap

- 1) $X > -1$ AND $X \leq 4$

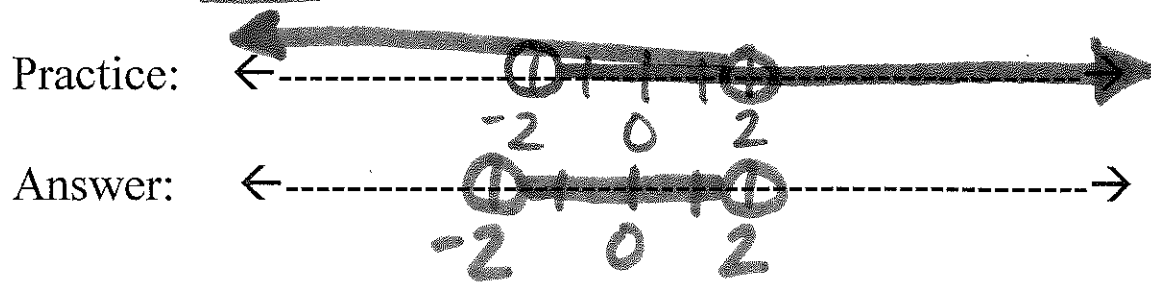
Practice:



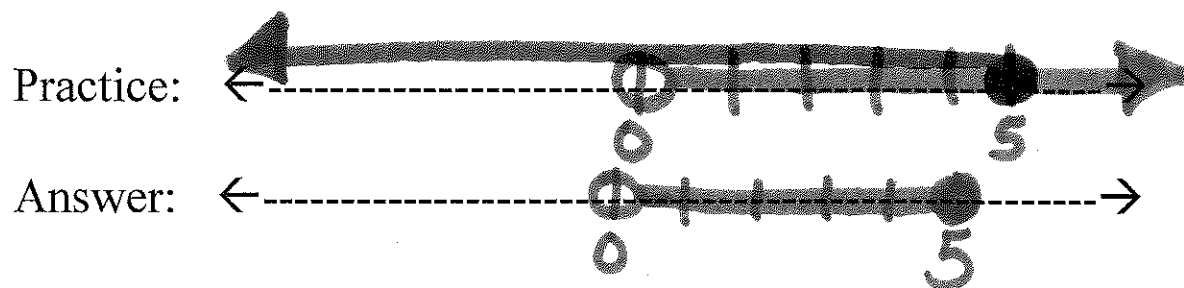
Answer:



2) $X > -2$ AND $X < 2$

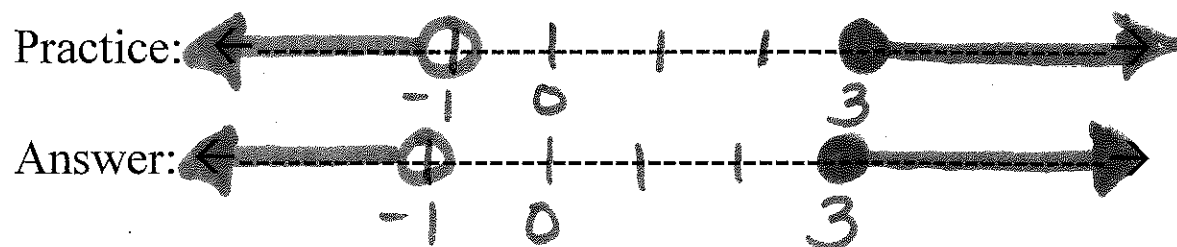


3) $X \leq 5$ AND $X > 0$

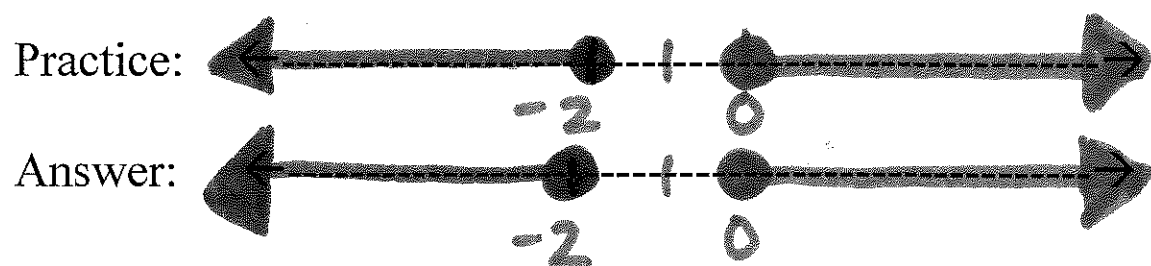


"OR" EXAMPLES:

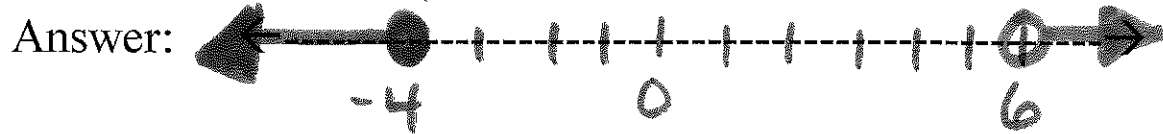
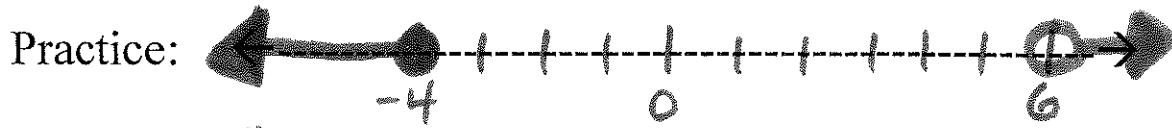
1) $X \geq 3$ OR $X < -1$



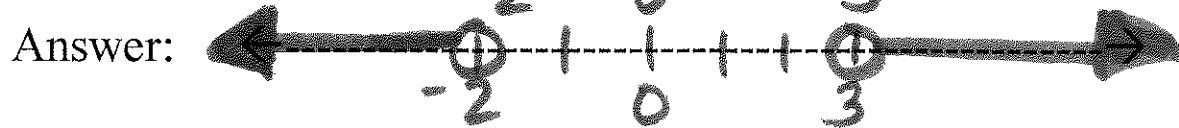
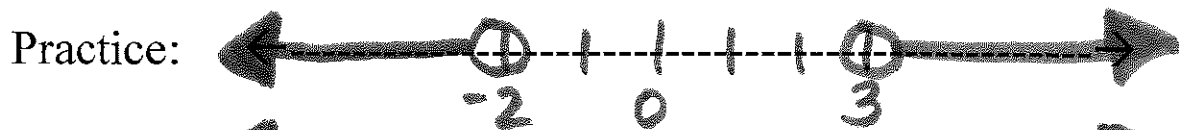
2) $X \leq -2$ OR $X \geq 0$



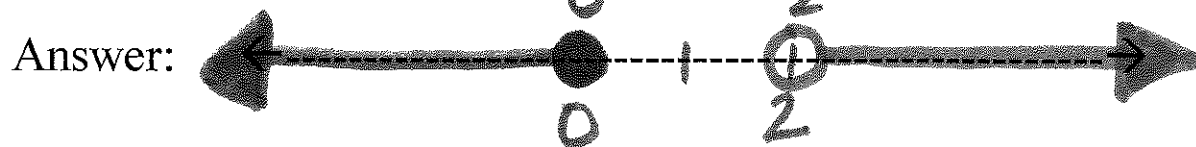
3) $X \leq -4$ OR $X > 6$



4) $X < -2$ OR $X > 3$



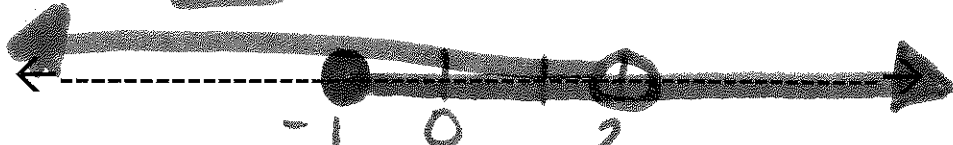
5) $X \leq 0$ OR $X > 2$



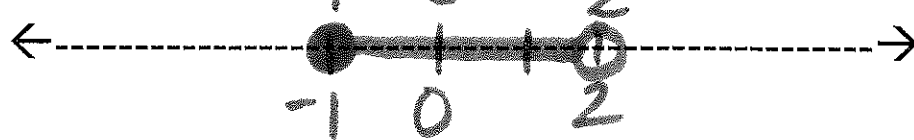
"AND" VS. "OR" EXAMPLES

1) $X \geq -1$ AND $X < 2$

Practice:

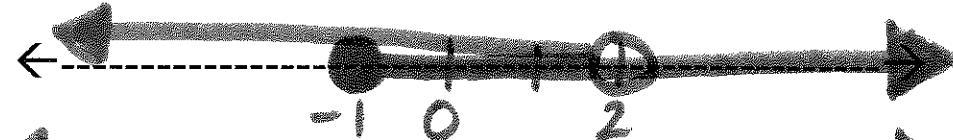


Answer:

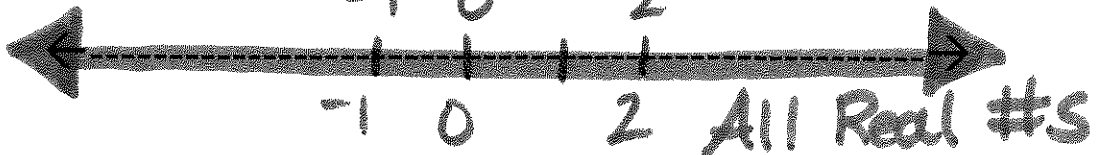


$X \geq -1$ OR $X < 2$

Practice:

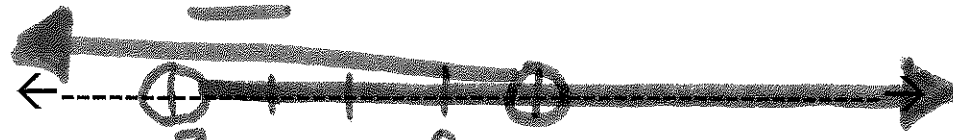


Answer:

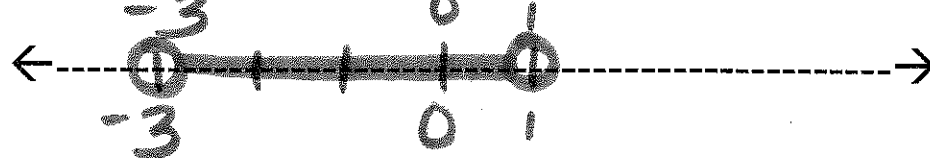


2) $X > -3$ AND $X < 1$

Practice:

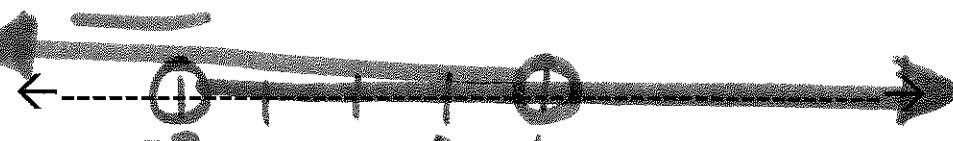


Answer:

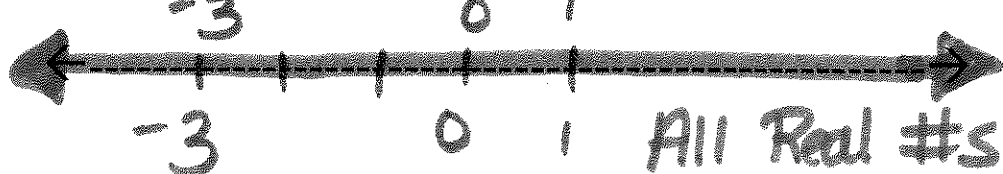


$X > -3$ OR $X < 1$

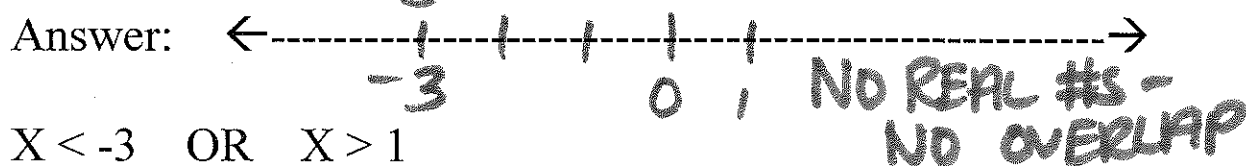
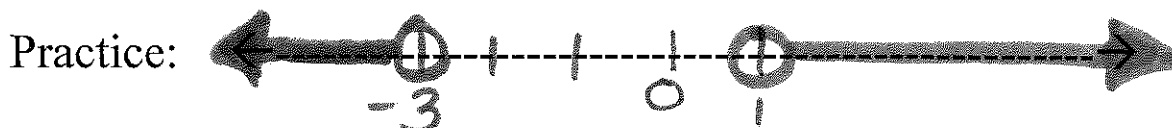
Practice:



Answer:



3) $X < -3$ AND $X > 1$

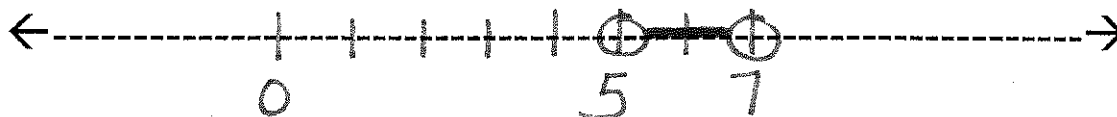


$X < -3$ OR $X > 1$



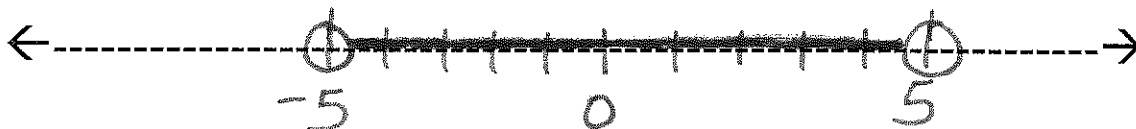
SOLVING COMPOUND INEQUALITIES:

$$\begin{array}{r} 1) 8 < W + 3 < 10 \\ \underline{-3 \quad -3 \quad -3} \\ 5 < W < 7 \end{array}$$



$$2) \quad \begin{array}{r} -3 < j + 2 < 7 \\ -2 \quad -2 \quad -2 \\ \hline \end{array}$$

$$\boxed{-5 < j < 5}$$



$$3) \quad 2 < 3n - 4 \leq 14$$

$$\begin{array}{r} +4 \quad +4 \quad +4 \\ \hline \end{array}$$

$$\frac{6}{3} < \frac{3n}{3} \leq \frac{18}{3}$$

$$\boxed{2 < n \leq 6}$$



$$4) \quad -1 < 4m + 7 \leq 11$$

$$\begin{array}{r} -7 \quad -7 \quad -7 \\ \hline \end{array}$$

$$\frac{-8}{4} < \frac{4m}{4} \leq \frac{4}{4}$$

$$\boxed{-2 < m \leq 2}$$

